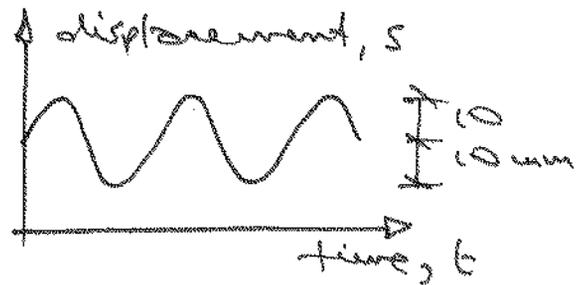


Displacement s of mass m
 $s = \bar{s} + r \sin \omega t$; $r = 10 \text{ mm}$
 $\therefore \ddot{s} = \omega^2 r$ and so
 maximum force which
 has to be exerted by
 return spring is followed



$$F_{\text{coll.}} = m \omega^2 r$$

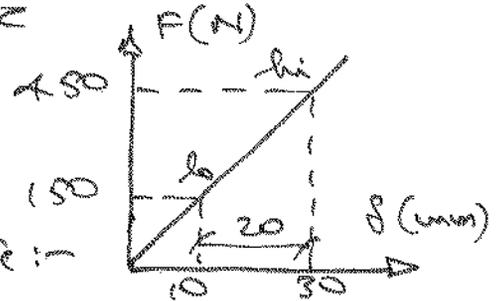
$$= 9 \frac{\text{kg}}{\text{m}^3} (2\pi \times 10)^2 \times 0.01 = \frac{355}{2} \text{ N}$$

We'd choose a larger value
 say 450 N so that we've got
 a safety factor dynamically.

Select $F_{10} = \frac{1}{3} F_{\text{lim}}$, which
 results in desired characteristic:-

$$k = 300/20 = 15 \text{ N/mm}$$

Assume a strength safety factor of 1.1



Using the fatigue expression (5b) for uniaxial
 wire, e.g. with $c = 5$:

$$F_e = 600(S+0.5)/0.50 + 300 \times 5 \frac{5.6}{4.73}/0.15$$

which gives F_e (kN)	19.5	27.4	35.3
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hence min. $F_{ut} = 1.1 F_e$	21.5	30.1	38.8
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So, from Table, necessary d :	4	5	?? > 5
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Actual n :

$$n = Gd / 8kC^3$$

(note large n w/ small C)

n_T Table 1 (ends S+G)

$$L_s = n_T d \text{ (mm)}$$

$$\delta_s = \text{say } 1.1 \delta_{\text{lin}}$$

$$L_0 = L_s + \delta_s \text{ (mm)}$$

BUCKLING. say ends guided $\lambda = 0.5$

$$\lambda L_0 / (c_2 D)$$

$$\delta_c \text{ (32). (mm)}$$

$$\frac{21.7}{19.5} = 1.1$$

$$\frac{29 \times 4}{8 \times 15 \times 5^3}$$

$$21$$

$$23$$

$$32$$

$$33$$

$$125$$

$$1.19$$

$$46 > \delta$$

$$\text{OK,}$$

$$\frac{32.7}{35.4} = 1.2$$

$$\frac{29 \times 5}{8 \times 15 \times 7.5^3}$$

$$7.8 (7.5^3)$$

$$9^{3/4}$$

$$48.8$$

$$33$$

$$82$$

$$0.42 < 1$$

$$\text{no buckling possible}$$

$$\text{OK}$$

RESONANCE TENDENCY. from (6)

$$f_n \text{ (Hz)}$$

$$f_n / f_{\text{exciting}}$$

$$17.0$$

$$12 < 17.0$$

$$\text{OK}$$

$$16.4$$

$$16.4 > 12$$

$$\text{OK}$$

Both trial solutions are feasible, as will
 be intermediate candidates. Further evaluation
 would be based on cost, space saving etc.